

Circular Motion

Book Chapter: 7, 8

Book Pages: 185-212, 221-222, 236-238

Practice Problems: pp214-216: 4, 6, 16, 30; pp244-250: 2, 46

Terms/ Ideas:

Centripetal Acceleration

Frequency

Hertz

Angular velocity

Centripetal force

Angular acceleration

Torque

Angular momentum

Period

Harmonic Motion

Centripetal Force

Centrifugal Force

Equations:

$$T = \frac{2\pi r}{v}$$

$$a = \frac{v^2}{r}$$

$$a = \frac{4\pi^2 r}{T^2}$$

$$T = 2\pi \sqrt{\frac{l}{g}}$$

$$f_c = ma = \frac{mv^2}{r}$$

$$f = \frac{1}{t} (\text{frequency})$$

$$\omega = \frac{v}{r} = 2\pi f$$

$$a = \alpha r$$

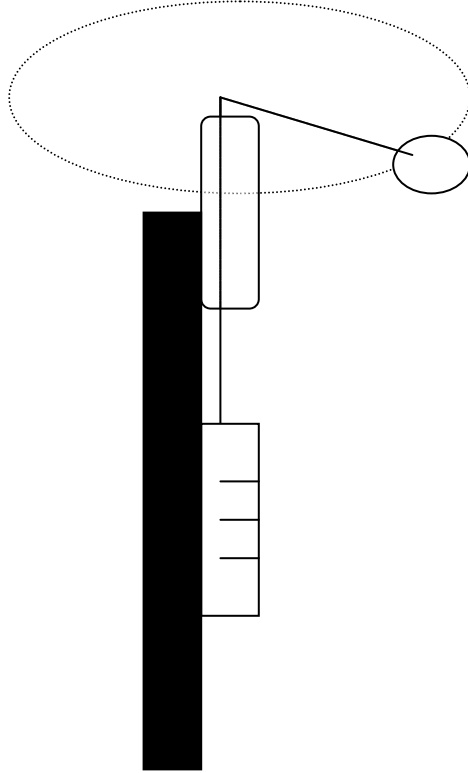
$$\tau = I\alpha$$

$$KE = \frac{1}{2} I\omega^2$$

$$F = -kx (\text{Hooke's Law})$$

Free Response Question:

To study circular motion, two students use the below apparatus, which consists of a spring scale attached to a solid rod. A polished glass tube attached to the top serves as a guide for a light cord attached to the spring scale.



A ball of mass $.200 \text{ Kg}$ is attached to the cord. One student swings the ball around at constant speed in a horizontal circle with radius $.500 \text{ m}$. Assume friction is negligible.

- 1) Explain how the students, by using a timer and the above information, can determine the speed of the revolving ball.
- 2) How much work is done by the cord in one revolution?
- 3) The speed of the ball is found to be 3.7 m/s . Assuming that the cord is perfectly horizontal while it swings, calculate the expected tension in the cord.
- 4) The actual tension in the cord is found to be 5.8 N as measured by the scale. What is the percentage difference between the measured and calculated values?